

DISCUSSION: TARGETED ADVERTISING IN ELECTIONS BY MARIA TITOVA

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Workshop on Misinformation: Causes, consequences, and remedies

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- This paper studies information disclosures in elections, assuming
 - Verifiable information: Milgrom and Roberts (1986)
 - Nonstrategic or expressive receivers: Alonso and Camara (2016)
 - The sender maximizes the ex ante utility (before learning the true state)
 - Sender can commit: Kamenica and Gentzkow (2011)
- **Main message:** Privately information disclosure (Targeted advertisement) may allow the politician to win the election impossible to win under public information disclosure.

A MINIMAL ELECTION SET-UP: RECEIVERS

- State (policy outcome) space: $X := \{L, R\}$ with $L = -1$ and $R = 1$, equally likely
- A sender and two receivers with bliss points $\mathcal{V} := \{L, R\}$;
- Each receiver has
 - Binary actions: Approve or reject
- Receivers are expressive or nonstrategic: When the outcome is x
 - Reciver v approves under belief μ if and only if
$$\underbrace{\int -(v - x)^2 d\mu}_{\text{util from approval}} - \underbrace{\int -v^2 d\mu}_{\text{util from status quo}} \geq 0$$
- Unanimity rule: Decisive coalitions $\mathcal{D} = \{L, R\}$.

- The sender can commit to a signal $\pi : X \rightarrow \Delta(M)$ and M is the verifiable message
 - $M = \{\{L\}, \{R\}, \{L, R\}\}$
 - **Info Verifiability**: for each state $x \in \{L, R\}$, only messages m that $x \in m$ can be sent
- The sender maximizes her ex ante probability of winning given the prior belief

- **Public disclosure:** All receivers get the same message
- **Targeted adverting:** Different receivers may get different messages

Observation 1: The (ex ante) prob of winning under public disclosure is 0.

ANALYSIS

- For any posterior belief $\mu \in \Delta(X)$
 - Voter L approves iff $\mu(L) \geq \frac{3}{4}$
 - Voter R approves iff $\mu(L) \leq \frac{1}{4}$
- No belief can win the approval from both simultaneously.
- Therefore, no public disclosure can win the election with any positive probability.

Under Target advertising, the sender can win this election with strictly positive probability.

Steps:

- Consider maximizing the probability of approval for each individual receiver
- Then maximize the intersection of these approval messages

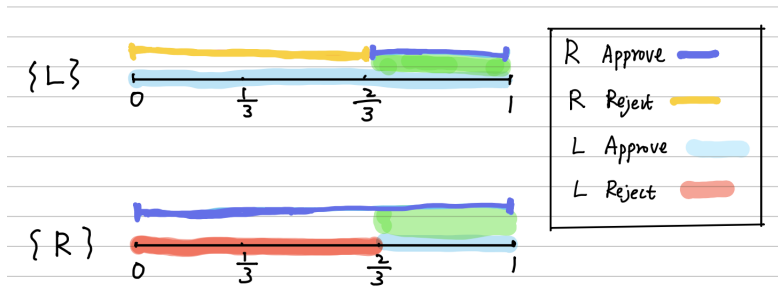


FIGURE: The signal that maximizes the joint approval areas

► Details

OBSERVATION 2

- Under targeted advertising, the politician can win the election with probability $\frac{1}{3}$, which is otherwise impossible if they constrain to public disclosure;
- The information verifiability has no bite here

- More general set-ups (such as dropping the nonatomic prior assumption)?
- Information verifiability has bites?
- What if receivers are strategic?

Appendix

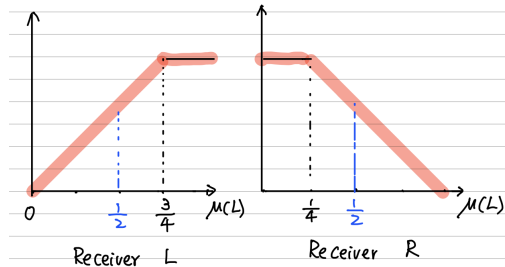


FIGURE: x-axis: the belief of state being L

- The signal maximizes Receiver L's approval is to induce posterior belief $\frac{3}{4}$ (that the state is L) with $\frac{2}{3}$ and the belief 0 with probability $\frac{1}{3}$;
- The signal maximizes Receiver R's approval is to induce posterior belief $\frac{1}{4}$ (that the state is L) with $\frac{2}{3}$ and the belief 1 with probability $\frac{1}{3}$;